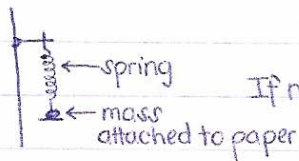


CHAPTER 13

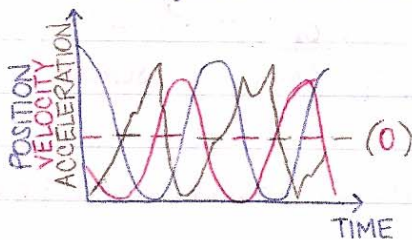
Simple Harmonic Oscillators

DEMO:



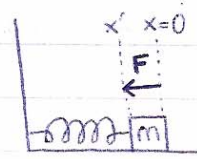
If not stretched beyond its limit, will be a SHO

[Noisy because v and a graphs are derived from position]



Don't need gravity, can be depicted horizontally:

If x is...	F is...
positive	negative
0	0
negative	positive



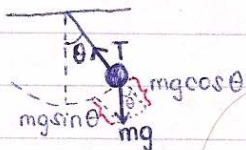
Q1: In SHM, acceleration is not constant

$$a = -kx/m$$

↖ always changing

Pendulums and Springs

$$F_{restoring} = kx = mg\theta$$



NOTE: Oscillations in space and time are related, but DIFFERENT

Period (T) and Frequency (f)

T = time to go around circle at ω ; time of 1 cycle

DEMO: Shadow graph: circular oscillation projected on a flat surface = SHM

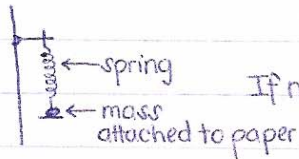
$$f = 1/T = \omega/2\pi$$

Q2: Highest f? C (shortest T)

CHAPTER 13

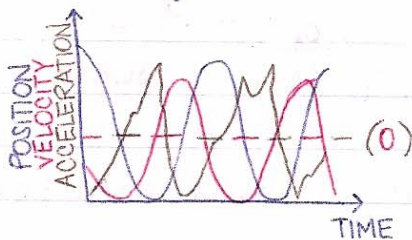
Simple Harmonic Oscillators

DEMO:



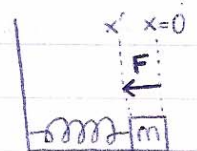
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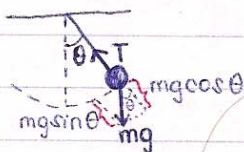
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