

- \* collision (scattering) experiments - main tool in particle physics.
  - Rutherford's experiment - scattering of  $\alpha$ -particles on gold: confirmed nuclear model of the atom
  - scattering of high energy electrons on protons (p) - discovered the structure of a proton  $\rightarrow$  quarks & gluons
  - colliding beams of electrons and protons call recent modern experiments:
    - LHC @ CERN, Belle @ Japan, SLAC, etc.

\* other types of collision experiments.

- collision of two billiard balls.
- comet scattered by the Sun.
- collision of two neutron stars & black holes.

Collision Theory: concerned with statistical description of interaction of many projectiles and targets, rather than with a single projectile & target.

\* Impact parameter.

\* Scattering angle

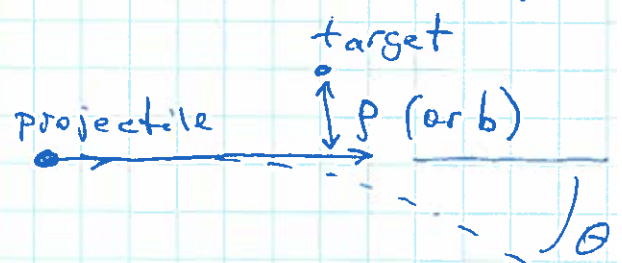
- large  $p \rightarrow \theta$  small

- small  $p \rightarrow \theta$  large (up to  $\theta = \pi$ ) head on collision

particle experiments:

$\theta$  - easy to measure

$p$  = never measure



- single collision: little we can say, unless  $p$  is known (but we never know it)
- need many collisions to investigate the nature of the projectile, target and their interaction.



- usually use multiple targets too
- if target has radius  $r \rightarrow \sigma = \pi r^2$  its area (cross section) (but only for contact interaction like between 2 billiard balls)

if our target assembly of area  $A$  contains  $N_A$  targets with cross-section  $\sigma$  the total area is  $nA\sigma$  where  $n$  is the density of targets per unit area.

for a point-like projectile the probability to hit a target is  $p = \frac{nA\sigma}{A} = n\sigma$

for  $N_p$  incident projectiles  $N_s = N_p n \sigma$  are scattered. Since we can measure  $N_p$ ,  $N_s$  and  $n$  it gives us  $\sigma$  - effective area of interaction between projectile & target or cross-section.  $\rightarrow$  measured in barns  $1b = 10^{-28} m^2$

- rates.  $R_p = \frac{N_p}{\Delta t}$      $R_s = \frac{N_s}{\Delta t}$      $R_s = R_p n \sigma$

Example 14.2     $10^{25} n$      $\parallel$      $\rho = 2.7 g/cm^3$   
 l.a.m. =  $1.66 \cdot 10^{-27} kg$ .    0.1mm Atomic mass 27

$$n = \frac{\rho t}{m} = \frac{2700 kg/m^3 \cdot 10^{-4} m}{27 \cdot 1.66 \cdot 10^{-27} kg} = 6 \cdot 10^{24} m^{-2} \quad \sigma = 1.5 b.$$

$$N_s = N_p n \sigma = 10^{25} \cdot 6 \cdot 10^{24} \cdot 1.5 \cdot 10^{-28} = 90$$