

Towards a FPGA-controlled deep phase modulation interferometer

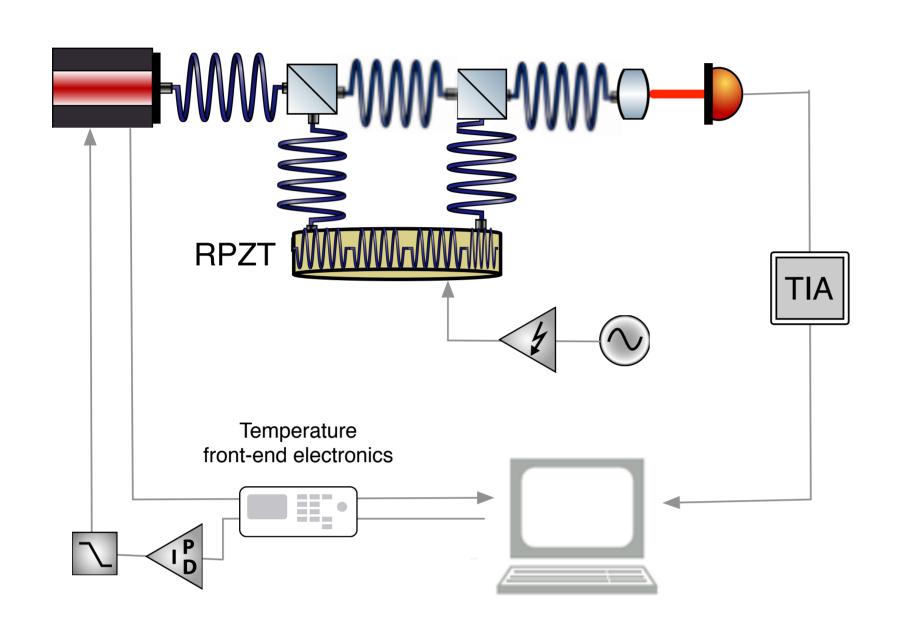
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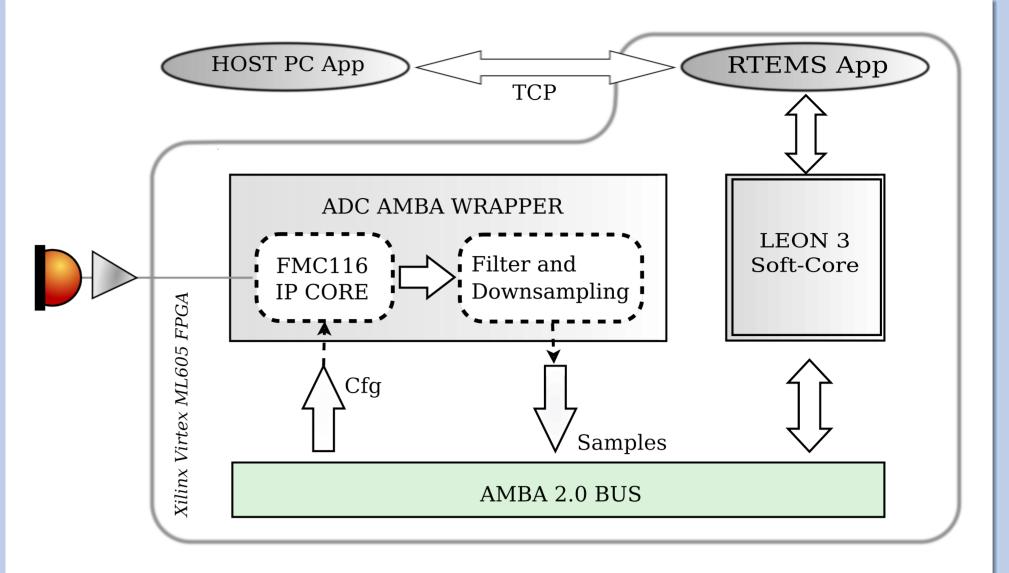
Introduction

Deep phase modulation interferometry [1] was proposed as a method to enhance homodyne interferometers to work over many fringes, allowing for instance continuous real-time tracking. In this scheme, a sinusoidal phase modulation is applied in one arm while the demodulation takes place as a post-processing step. In this contribution we report on the development to implement this scheme in a fiber coupled interferometer controlled by means of a FPGA, which includes a LEON3 soft-core processor. The latter acts as a CPU and executes a custom made application to communicate with a host PC. In contrast to usual FPGA-based designs, this implementation allows a real-time fine tuning of the parameters involved in the setup, from the control to the post-processing parameters.

Current experiment setup



FPGA architecture



The System On Chip (SoC) approach has been used with the following components synthesized in a Xilinx[©] FPGA: A Gaisler[©] LEON 3 Soft-Core CPU, a 4DSP^{\odot} FMC116 ADC wrapped in a custom made component that communicates directly with the CPU using AMBA technology bus, and a custom embedded RTEMS Application running on SoC, that is in charge of acquiring, processing and transmitting data to Host PC Application trough ethernet TCP/IP, system monitoring and configuration managing.

We have implemented a setup to test deep phase interferometry. It is an all-fiber Mach-Zehnder interferometer which use a piezo tube with 5 m of optical fiber wrap around it to increase the pathlength in one of the interferometer arms. Our source is a laser diode at 1064nm.

In our current setup, we have modified the LISA Pathfinder temperature front-end electronics to control the laser temperature. Data acquisition and post-processing is performed in a PC. All these functionalities together with the modulation of the piezo are planned to be controlled by a FPGA in a future version of the experiment.

Deep phase modulation

The output signal of a phase modulated homodyne interferometer can be expressed as [1]

$$V_{PD}(t) = V_{DC}(\phi) + \sum_{n=1}^{\infty} a_n(m,\phi) \cos(n(\omega_m t + \Psi))$$
(1)

with

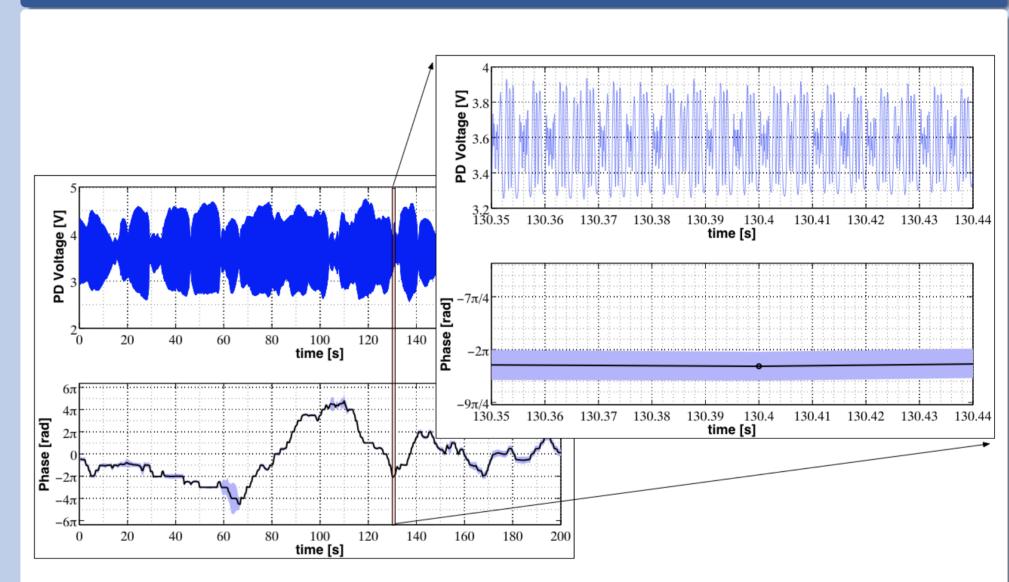
$$a_n(m,\phi) = k J_n(m) \cos\left(\phi + n\frac{\pi}{2}\right)$$
(2)

$$V_{DC}(\phi) = A(1 + C J_0(m) \cos \phi)$$
(3)

where $J_n(m)$ are Bessel functions, ϕ is the interferometer phase, *m* is the modulation lation depth, ω_m is the modulation frequency, Ψ is the modulation phase, *C* is the contrast, and *A* combines nominally constant factors such as light powers and

The Host PC Application, manages the user interface to customize the system and data persistence.

Results



In our proof-of-principle implementation we have applied a 200 Hz modulation signal to the piezo with a modulation depth m \simeq 9. Our current low frequency sensitivity with a table-top experiment on air is 10 μ m/ \sqrt{Hz} at 10 mHz.

In the figure above the top panel corresponds to the photodiode output sampled at 10 kHz while the bottom panel is the associated phase after post-processing in windows of 4000 samples, yielding an effective phase sampling of 2.5 Hz. The shaded areas show 95% confidence intervals due to fit errors.

photodiode efficiencies.

Proposed as an extension of the so called $J_1 \dots J_4$ [2] methods, the deep phase modulation scheme uses higher order harmonics ($n \ge 10$) to extract the phase information from the modulated output.

Phase extraction

In order to obtain the interferometer phase, the Fourier coefficients $a_n(m, \phi)$ in Eq. (2) are first obtained through a Fast-Fourier Transform of a segment of data. Then, the coefficients $\{k, m, \phi, \Psi\}$ are obtained by minimisation of

$$\chi^{2} = \sum_{n=1}^{10} |\widetilde{V}_{PD}(n) - a_{n}(m,\phi)e^{i\,n\,\Psi}|^{2}$$
(4)

where $\widetilde{V}_{PD}(n)$ is the n-th harmonic of the measured voltage at the output of the photodiode. A Levenberg-Marquardt algorithm is used to process the measured output and obtain the set of coefficients.

Future improvements

Our next steps include:

- ► Integration of the FPGA in the optical experiment.
- Implementation of the digital analysis, modulation and post-precessing in the FPGA.
- Integration of the metrology experiment in vacuum conditions.

References

- G.Heinzel et al., Deep phase modulation interferometry, Opt. Exp., Vol. 18, No. 18, 19076 (2010)
- V.S. Sudarshanam, R. O. Claus, Generic J₁... J₄ method of optical-phase detection: Accuracy and range enhancement, J. Mod. Opt. 40, 483-492 (1993)

