



PHY1033C/HIS3931/IDH 3931 : Discovering Physics: The Universe and Humanity's Place in It Fall 2016

Prof. Peter Hirschfeld, Physics



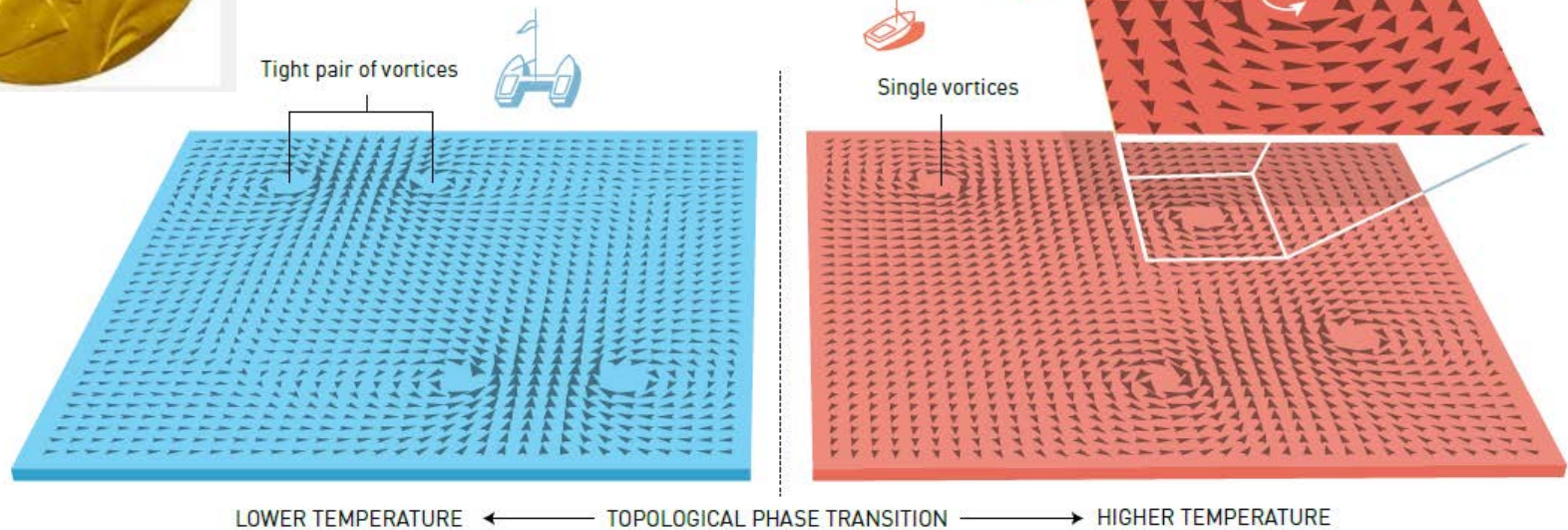
Announcements

- Reading this week: Gregory, Chapter 6
[Observations of the moon](#), [The satellites of Jupiter](#),
[Galileo's Theory of the Tides](#), [Excerpts from *The Dialogues*](#)
- HW 4 due today, HW3 solutions and HW5 posted
Note HW5 may take longer than usual!!!!
- Practice midterm posted on course “Tests” page
- Test announcements

Midterm exam

- In class Thursday, Oct. 13
- Covers all material up through end of Week 7 (10/6)
- Bring: ID, scratch paper (calculator optional)
- Format: 30% mult. choice 40% short answer 30% essay (choice of 2)
- Review 1 (Ariel B): NPB east lounge 6pm Monday 10/10
- Review 2: (Peter H): NPB 2205 5:30pm Wednesday 10/12
- 1 side paper “cheat sheet” (handwritten) allowed

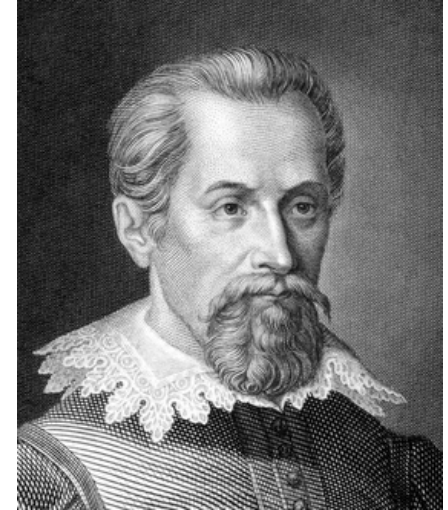
Nobel prize in physics 2016



To David Thouless, Duncan Haldane and Michael Kosterlitz
"for the theoretical discoveries of topological phase
transitions and topological phases of matter."

Johannes Kepler
1571 -1630

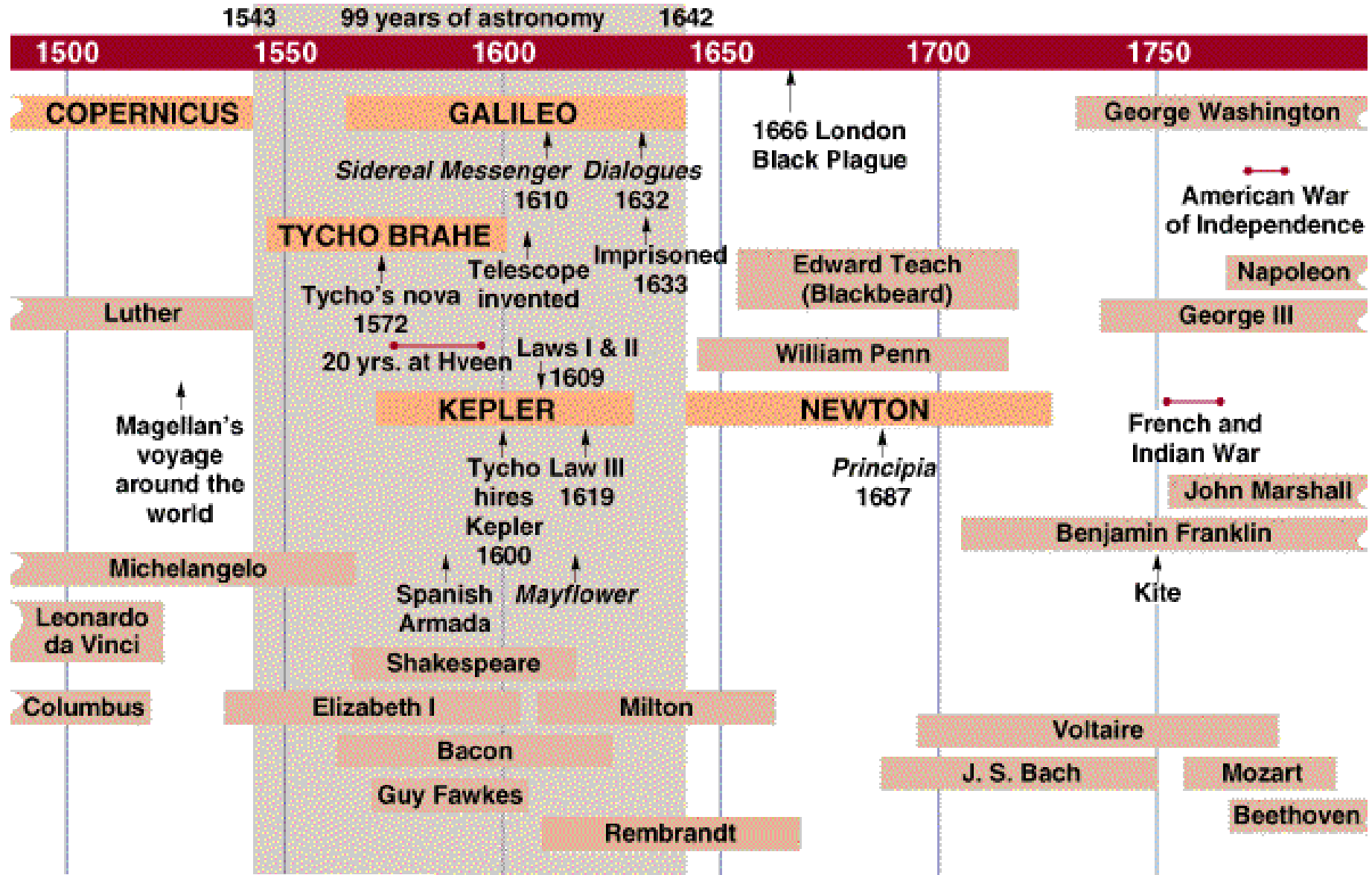
Last time



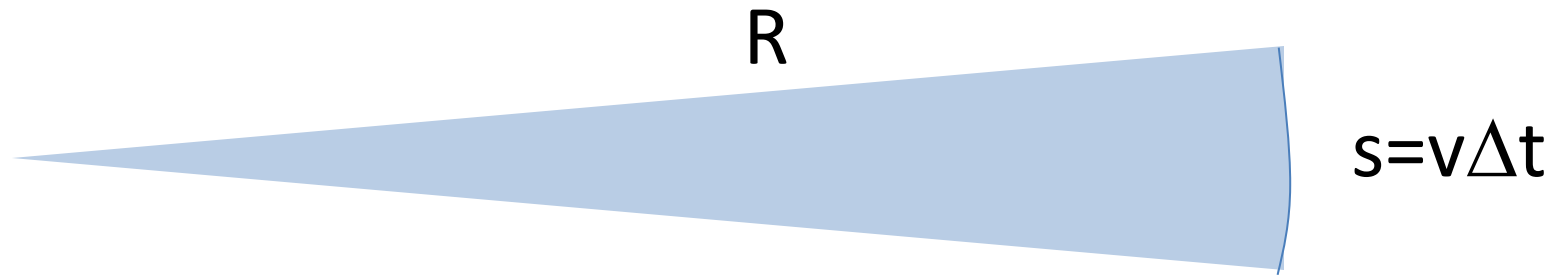
- Kepler: looked for mathematical beauty in the universe as way of knowing God
- Early work: orbits of planets correspond to nested regular (“platonic”) solids – explains # planets, orbit spacing – sort of.
- Later: he works with Tycho’s data, develops 3 laws:
 - 1) Planets move in *ellipses* with sun at 1 focus
 - 2) planets sweep out equal areas in equal times*
 - 3) relationship of orbital period to radius: $T^2 \propto R^3$

* 2nd law related to “conservation of angular momentum” – similar to figure skater

Timeline



Slice of Earth's orbit swept out in time Δt



$$\text{Area} \approx Rs = Rv\Delta t$$

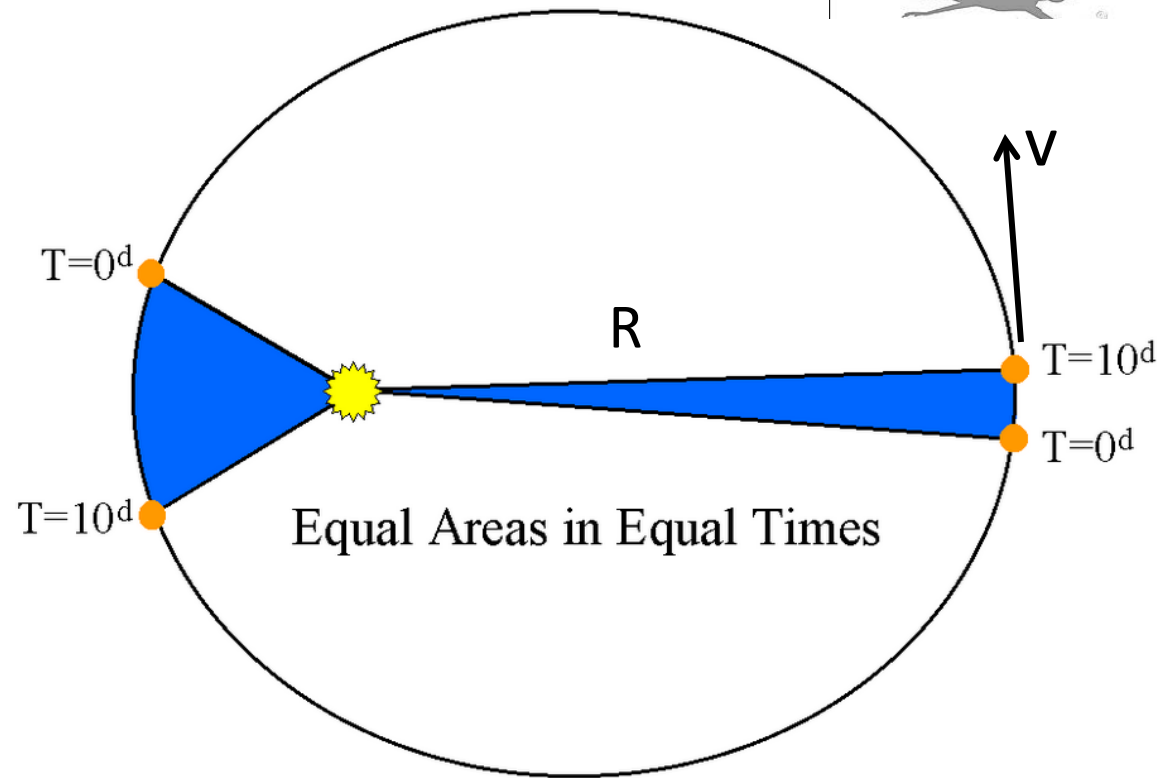
$Rv \text{ const.} \Rightarrow \text{equal areas in equal times!}$

Let's check!

Angular momentum conservation

- $R (mv) = \text{const}$

$p = mv$ momentum



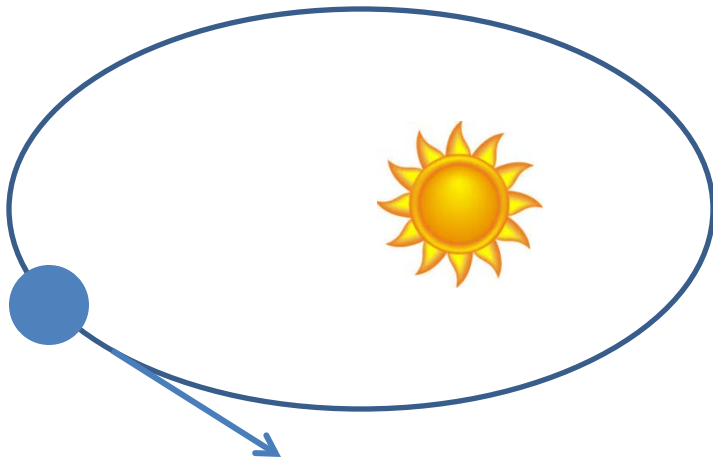
Kepler's 3rd law

(HW 5)

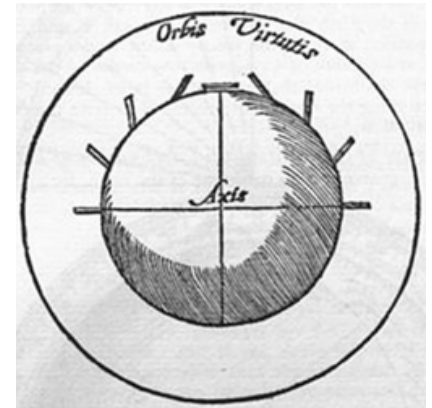
1. (2 pts.) Check Kepler's 3rd law against the currently measured planetary orbit radii and periods. First use the data given in the table below, and fill in all last two columns for the planets. Now make a graph of R^3 vs T^2 , and determine the slope of the line that best fits the data (Hint: before starting to graph, check what the largest (R^3 , T^2) will be—this will determine the upper right corner of your graph.). Please use graph paper (you can print some [here](#)). Using this, predict the orbital period of a new planet that you are told was discovered to be 3300×10^6 km from the sun, and fill in the last 3 blank spaces.

Planet	Average orbit radius R (10^6 km)	Orbital period T (Earth days)	R^3	T^2
Mercury	58	88		
Venus	108	224		
Earth	149	365		
Mars	228	687		
Jupiter	778	4333		
Saturn	1426	10,759		
Unknown planet	3300			

Kepler:
1st to pose question of what *causes* planetary motions



What's making it move around the sun?



Wm. Gilbert, 1600: the Earth is a magnet

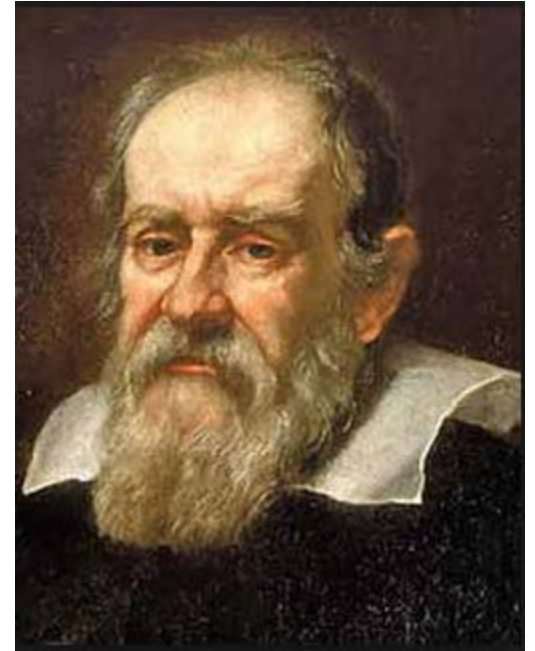
Kepler: maybe the Sun exerts a magnetic pull or push on the Earth!

Kepler tried all sorts of shapes to account for Mars' orbit, & finally settled on

1. An ellipse, with a sun at one focus
2. A perfect circle, with the sun off center
3. A perfect square
4. A regular icosahedron
5. An epicycle on deferent

Galileo Galilei

1564-1642



- Studied medicine at university in Pisa, but real interest was math
- Impressed Jesuit mathematician, was able to obtain teaching position at Pisa
- Early indications of Copernicanism, e.g. letter to Kepler; however did not avow publicly
- Unlike many other philosophers, liked to write in vernacular rather than latin – astute political sense

Quote from papa (Vincenzo Galilei, musician)

“It appears to me that those who rely simply on the weight of authority to prove any assertion, without searching out the arguments to support it, act absurdly. I wish to question freely and to answer freely without any sort of adulation. That well becomes any who are sincere in the search for truth.”

Galileo and falling bodies: Aristotle must be wrong--a “thought experiment”

Consider two bodies, one weighing twice as much as the other. Aristotle would say 1 would fall twice as fast as 2, $v_1 = 2v_2$

Galileo: tie the two together. Light one should retard heavy one, since it wants to fall more slowly. So speed of total is $v_{\text{tot}} < v_1 = 2v_2$

But one can equally well regard the two as a composite object weight which should fall with three times the speed of the light body, so $v_{\text{tot}} = 3v_2$

Internal contradiction

Galileo and falling bodies

- Story from biographer: G dropped balls of different weight from tower, found they hit bottom at same time

- Galileo rejected Aristotle, but believed (early years) that all objects would accelerate until they reached *terminal velocity* characteristic of specific material

Not quite true!



Flash forward reminder: terminal velocity



$$a = 9.8 \text{ m/s}^2$$

Right after jumping: v increases 9.8 m/s per sec.
Accelerated motion!



$$v \approx 120 \text{ mph}$$

After a few seconds of free fall, air resistance increases with speed to the point where it cancels gravity: *uniform motion* at v_{terminal}

Brian Cox demonstrates that bowling ball & feather fall at same rate in a (near) vacuum

<https://www.youtube.com/watch?v=E43-CfukEgs&feature=share>

Although Galileo probably didn't do the leaning tower expt. as legend would have it, he would have loved to do the expt. with the vacuum pump, since he developed the technique of *idealization* in physics


What would happen if I removed the air?

What would happen if I removed friction?

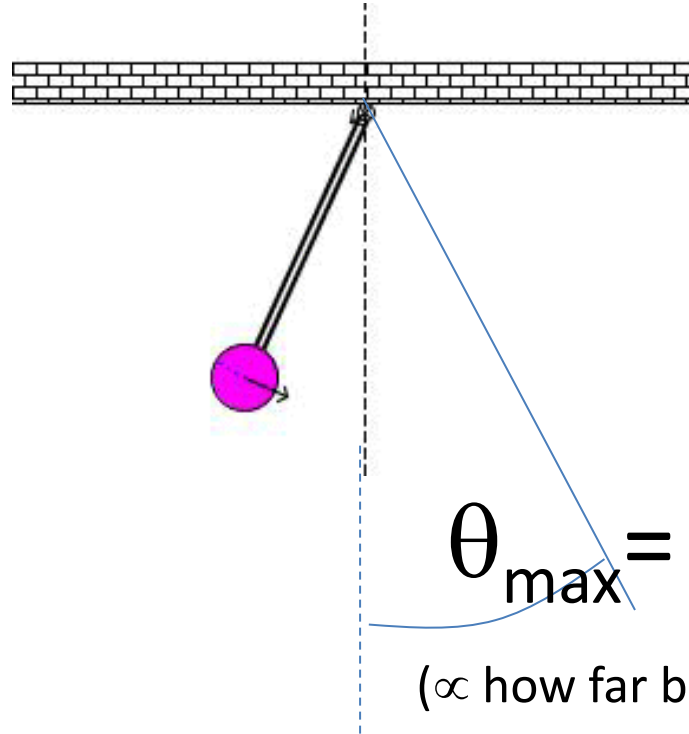
Physicists' metaphor: spherical cow

The farmer's cow wasn't giving milk; he had tried everything & nothing worked. So he called a veterinarian. The veterinarian visited the farm and began, "Consider the following solution."

Yes, that was the punch line!

A cartoon illustration of a black and white cow with a pink nose, looking up and saying "MOO." in a speech bubble. The cow is positioned at the bottom center of the slide, with its head tilted back. The speech bubble is a simple line pointing to the cow's mouth, containing the word "MOO." in a casual, handwritten-style font.

Galileo's Pendulum



Pisa cathedral



θ_{max} = “amplitude”

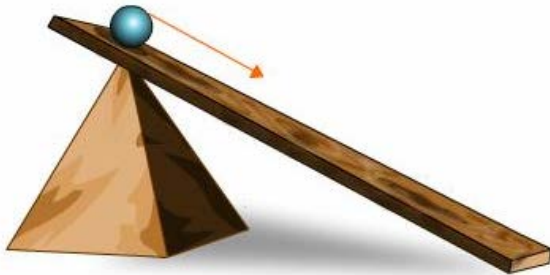
(\propto how far back you pull the weight initially)

Galileo noticed that the time for one oscillation, the period T , does *not* depend on the amplitude, for small amplitude oscillations. He measured T with his pulse, and in fact proposed a pendulum as a way to measure pulses in hospitals!

You'll verify this in the lab today!

Galileo's expts. with inclined planes

- enabled him to slow down motion to observe it better
- convinced him that mathematics could be applied to earthly as well as celestial realm



Galileo demonstrates inclined plane to Giovanni de' Medici
Giuseppe Bezuoli, 1841

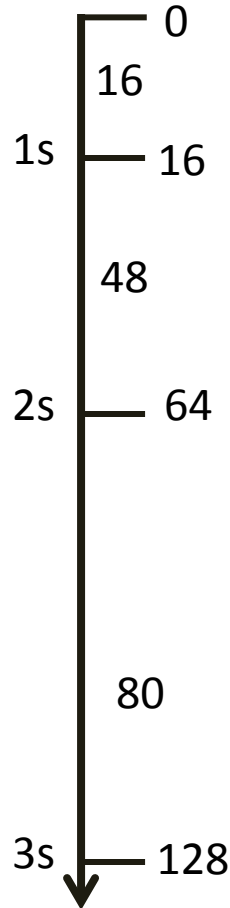
Galileo showed that height of falling body varied as
(time to ground)², or $y \propto t^2$

Galileo: vertical distance traversed in equal times
increased in accordance with sequence of odd
numbers:

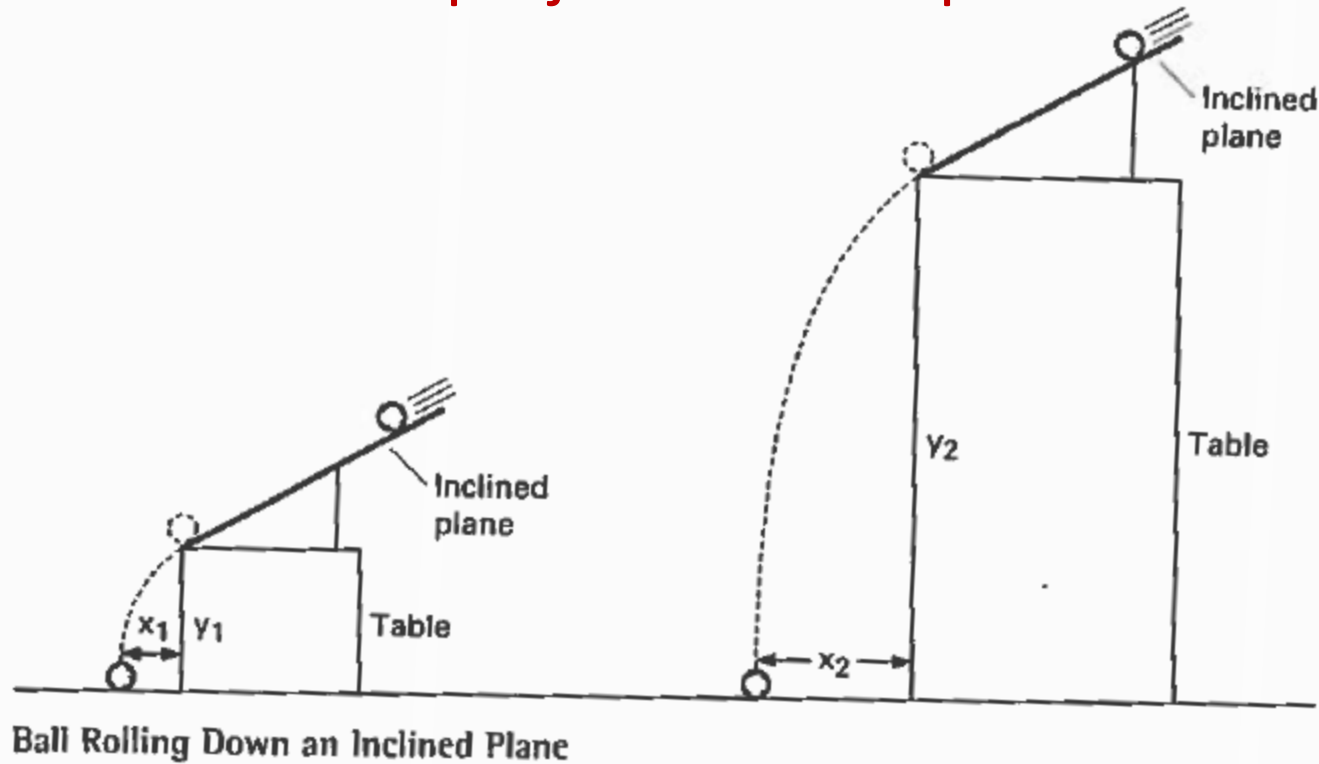
e.g. *ratio* 1 : 3 : 5 : 7 distances fallen in 1,2,3,4 sec

Total distance fallen: 1, 1+3, 1+3+5, 1+3+5+7
= 1 : 4 : 9 : 16 in 1st 4 sec

He deduced $y = t^2$ (const. acceleration).



Galileo showed that projectiles have parabolic motion



G's measurements showed that

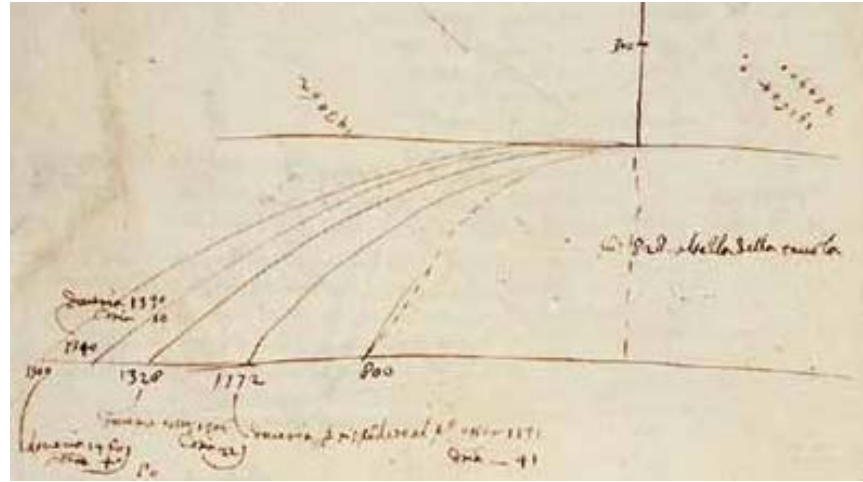
heights $y \propto x^2$

(x = "range")

ranges $x \propto t$ (time in air)

G analyzed motion in terms of composite ("double") motion in both x and y simultaneously. Taken together, two observations imply $y \propto t^2$ as before

The actual logbook!



Galileo publishes a summary of his investigation of terrestrial motion in *Discourse on Two New Sciences* 1638 (published in Netherlands)

Importance of Galileo's approach to understanding motion: 1st combined use of empirical measurements and mathematical analysis for terrestrial motion of objects!

But: he also engaged in “thought experiments”. For example, he couldn't measure actual falling body quantitatively, but deduced $y \propto t^2$ for falling body from his inclined plane results!