

33. As in problem 31, we will change the words illuminance to intensity. Since the source is a point source, the radiation is isotropic. The logic is the same as for problem 25 above. Since we have a point source, the radiation from the source obeys the inverse square law. Since 80 cm is 8 times as far from the source as 10 cm, the intensity at 80 cm is $(1/8)^2$ the intensity at 10 cm. As a result,

$$I(\text{at } 80 \text{ cm}) = (2000 \text{ units})/64 = 31 \text{ units}$$

34. Gamma rays source, point-size, has intensity I independent of distance, see Sec.25.14. Thus, the intensity at $R = 20\text{cm}$ is the same at $R = 60\text{cm}$.

35. Once more, the magic word point source is used. This means the source is isotropic. The data tell us that the X-ray intensity at the unknown point P is 1% of the intensity at 5 cm. But 1% implies that the intensity at point P is 1/100 the intensity at 5 cm. We now set up the usual ratio.

$$I(\text{at point } P)/I(\text{at } 5 \text{ cm}) = 1/100 = [(5 \text{ cm})/P]^2 \rightarrow P = 50 \text{ cm.}$$

41. This problem refers to Sec. 25.15.

The lamp of intensity $I_{60} = 60\text{W}$ gives an illuminance

$$E_{60} = \frac{I_{60}}{R_{60}^2}, R_{60} = 4 \text{ ft}$$

A lamp of intensity $I_{100} = 100\text{W}$ gives at distance above a table R_{100} an illuminance

$$E_{100} = \frac{I_{100}}{R_{100}^2}$$

We want this to be

$$E_{100} = E_{60}, \text{ or}$$

$$\frac{I_{100}}{R_{60}^2} = 3 \frac{I_{60}}{R_{60}^2}$$

$$\rightarrow R_{100} = R_{60} \left(\frac{I_{100}}{3I_{60}} \right)^{\frac{1}{2}} = 2.98 ft$$