Announcement

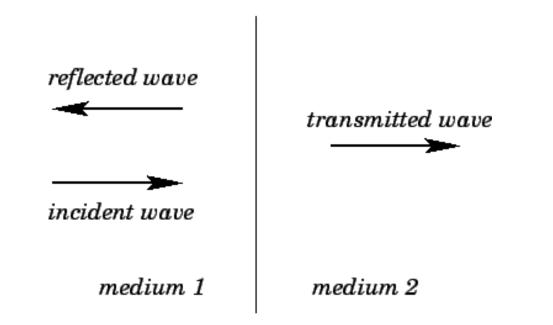
- Homework 5 is due March 1, next Wednesday.
- Get your solutions to exam 1 **in class** or **Dr. Guan's office hour** before **Friday's class**, Feb 24. Otherwise we will return your exam 1 at exam 2.
- Re-grade request has to be initiated with Dr. Guan in person or over zoom. We do not process canvas requests for regrade.

Today's class

- Peer teaching evaluation
- Exam 1 review
- Waves
- Confining a particle

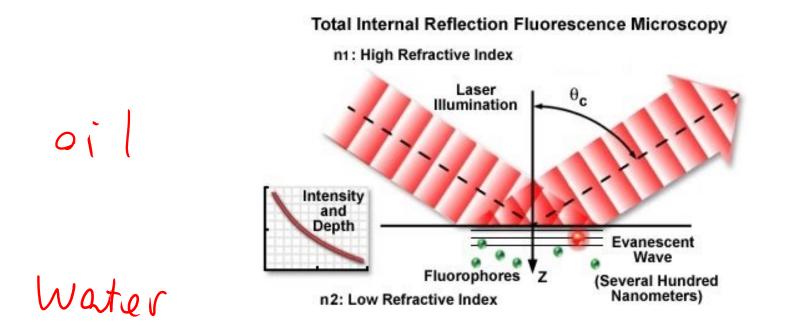
Review of classical waves

When a wave crosses a boundary between two regions, part of the wave intensity is reflected and part is transmitted.



Review of classical waves

When a wave encounters a boundary to a region from which it is forbidden, the wave will penetrate perhaps by a few wavelengths before reflecting.

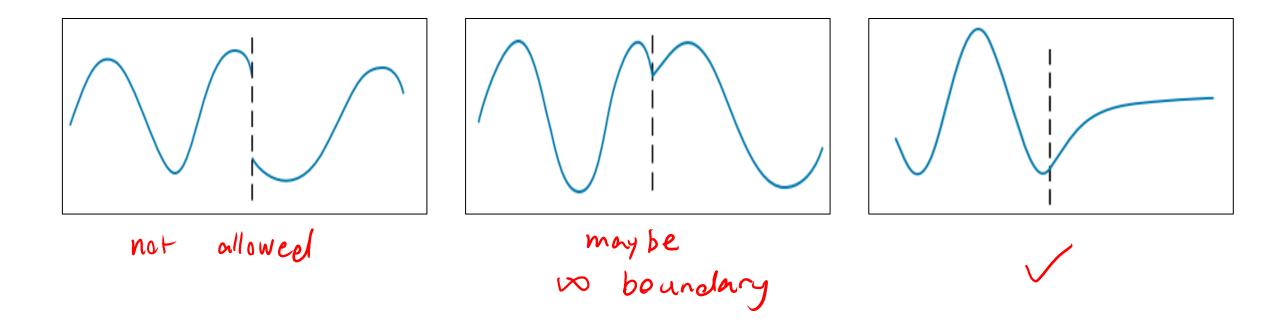


Review of classical waves

At a finite boundary, the wave and its slope are continuous.

At an infinite boundary, the wave is continuous but its slope is discontinuous.

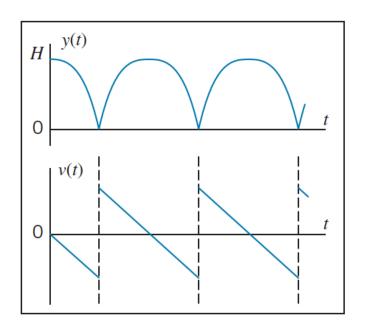
Which one is allowed?



Wave function

Definition: the mathematical function that describes the wave.

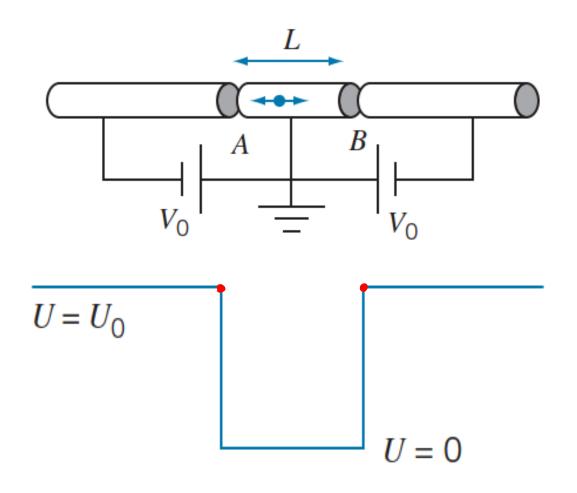
The wave function must be continuous.
The slope of the wave function must be continuous, except when the boundary height is infinite.



A trick to help you remember: Think of a ball bouncing off the ground.

Wave function y(t) – continuous Slope, derivative v(t) - discontinuous

Confining a particle

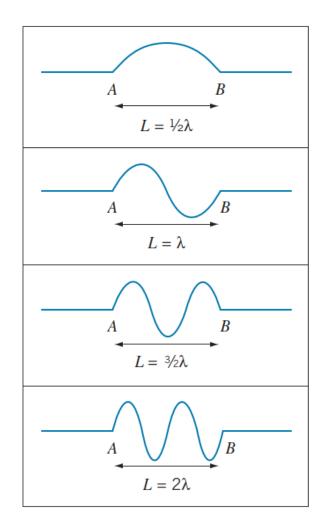


The setup confines an electron to inside the well.

Boundary condition:

Continuous \rightarrow the wave function must have values of 0 at A and B

In-class exercise (5 min)



(1) What are the wavelengths allowed? Hint: express in L and n=1,2,3

 $\lambda_n = \frac{2L}{n} \qquad n = 1, 2, 3, \dots,$

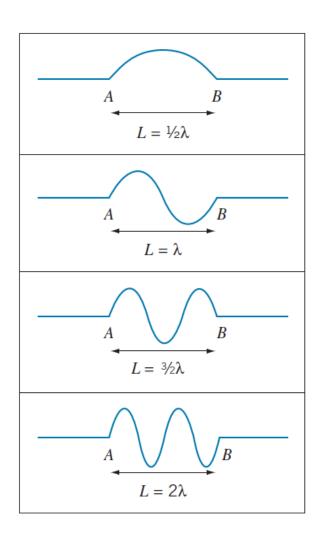
(2) From de Broglie relationship, what are the momentums allowed?

 $\frac{1?}{P_n = n \cdot \frac{h}{2L}} \qquad (\lambda = \frac{h}{P})$

(3) What are the energies allowed? Hint: only kinetic energy. Can calculate from momentum.

$$E_n = \frac{n^2 h^2}{8m L^2}$$

 $(E=\frac{p^2}{2m})$





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0

120

The appearance of energy quantization accompanies every attempt to confine a particle to a finite region of space.

Going beyond the intuitive description shown here, we will work out the rigorous way to describe this later. "Particle-in-a-box"

Checking the uncertainty principle

sx~L $\Delta P_x = \int (P_x^2) - (P_x A_y)^2$ $P_{x,av} = 0$ $P_x = \frac{nh}{2l}$ $\Delta P_{x} = \int (P_{x})^{2}_{av} = \frac{hh}{2l}$ $\Delta \chi \cdot \Delta P_{\chi} = L \cdot \frac{nh}{2l} = \frac{h}{2}h \qquad n = 1, 2, 3, \dots$ \$1 ≥ 1 > 1 Q.E.D.

An application of quantum mechanics in my lab \int_{r}^{force}



DNA chain – fluorescence labeling agarose gel network – invisible played at real time